

## Hint for problem 6, set 6

One way to do this is to show that  $f^{(n+1)}(z) = 0$  at every point  $z$ . Do this by looking at  $M(R)/R^n$  for  $1 \leq R \leq 2$  (it is bounded there) then use the recursion to get to larger  $R$ . Now use the Cauchy integral formula for the  $n+1$ st derivative at  $z$ . Your estimate of the integrand should involve  $R - |z|$ , where  $R$  is chosen sufficiently large.